

# Political Economy

Pierre Boyer

École Polytechnique - CREST

Master in Economics

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Schedule: Every Wednesday 08:30 to 11:45

# Outline of the class

Introduction

**Lecture 2-5: Tools of political economics with applications**

Lecture 6: Comparative Politics

**Part II: Dynamic Political Economy**

# Lecture 2-5: Tools of political economics

Aim of the following lectures:

- 1 background for political economy
- 2 **introduce alternative work-horse models of policy choice**
- 3 **illustrate political forces that influence policy**

# Electoral competition

- Two-party electoral competition in representative democracy
- Unidimensional conflict: Simple model of public finance
- Opportunistic candidates
- Commitment to a policy ahead of elections

Models of preelection politics with opportunistic politicians.

# A Simple Model of Public Finance: Size of government

Benchmark environment:

- Continuum of voters population size (mass) of  $N$
- Type  $J$  consumer/voter quasi-linear preferences:

$$w^J = c^J + H(g),$$

$H$  concave and increasing function,  $g$  publicly provided goods  
same provision to everybody:  $g = g^J, \forall J$ .

- Common income tax with rate  $\tau$  (i.e., non-targeted policy)

$$c^J = (1 - \tau)y^J.$$

Income distribution only source of preference heterogeneity:

- $y^J \sim_{i.i.d.} F(.)$  such that  $E(y^J) = \bar{y}$ ,  $F(y^m) = \frac{1}{2}$ ,  $y^m \leq \bar{y}$ .
- $F$  discrete:  $\mathcal{J}$  groups  $J = 1, \dots, \mathcal{J}$ , where  $y^1 < \dots < y^{\mathcal{J}}$
- population shares  $\frac{N^J}{N} = \alpha^J < \frac{1}{2}$ ,  $\sum_{J=1}^{\mathcal{J}} \alpha^J = 1$   
at times, specialize to  $\mathcal{J} = 3$  with  $y^L < y^m < y^R$  and  $\alpha^J < \frac{1}{2}$ .

Government budget:

$$\tau \sum_J \alpha^J y^J = \tau \bar{y} = g,$$

treat  $g$  as the one-dimensional policy (a scalar)

Policy preferences differ by (relative) income alone:

$$W(g, y^J) = (\bar{y} - g) \frac{y^J}{\bar{y}} + H(g),$$

by voter  $J$  optimum (i.e.  $W_g(g, y^J) = 0$ ), we have

$$g^J = H_g^{-1} \left( \frac{y^J}{\bar{y}} \right) \equiv G \left( \frac{y^J}{\bar{y}} \right).$$

- $G$  is monotonically decreasing in income so preferences well-behaved

$W^J$  concave (as  $H$  is) and single peaked in policy

$W^J$  also such that single-crossing holds

$\Rightarrow$  unique Condorcet winner exists  $g^m = G \left( \frac{y^m}{\bar{y}} \right)$ .

## Example of general class of policy problems

- one-dimensional, non-targeted policies give rise to similar monotonic policy preferences (under the right conditions)
- ⇒ many such problems have been studied in political economics



## Benchmark: Optimum for utilitarian SWF

- maximize  $SWF = \sum_J \alpha^J W^J(g) = W(g) = (\bar{y} - g) + H(g)$

$$\text{FOC: } W_g(g) = 0 \Leftrightarrow H_g(g) = 1$$

$$\Rightarrow g^* = G(1)$$

# Downsian electoral competition:

## Downs (1957)-Hotelling (1929)

Standard maintained assumptions:

- (i) Two candidates (parties):  $C = \{A, B\}$ .
- (ii) Everybody vote sincerely
- (iii) Plurality (winner-takes-all) election.
- (iv) Politicians simultaneously commit to electoral platforms:  $g_A, g_B$ .
- (v) Politicians maximize expected “ego rents”:  $p_C R$  given

$$p_A = P(g_A, g_B) = \text{Prob}[\pi_A \geq \frac{1}{2} | g_A, g_B],$$

$$p_B = 1 - p_A,$$

where  $\pi_A$  is candidate  $A$ 's vote share.

# Electoral competition: Size of government

Optimal voting behavior: voter  $i$  supports  $A$  if  $W^J(g_A) > W^J(g_B)$ :  
monotonicity  $\Rightarrow$

$$P(g_A, g_B) = \begin{cases} 0 & \text{if } W^M(g_A) < W^M(g_B) \quad \text{as } \pi_A < \frac{1}{2} \\ \frac{1}{2} & \text{if } W^M(g_A) = W^M(g_B) \quad \text{as } \pi_A = \frac{1}{2} \\ 1 & \text{if } W^M(g_A) > W^M(g_B) \quad \text{as } \pi_A > \frac{1}{2} \end{cases}$$

Note discontinuity of  $P(g_A, g_B)$ , for any  $g_A, g_B$  such that  
 $W^M(g_A) = W^M(g_B)$

# Electoral equilibrium

Median voter theorem:

Unique Nash Equilibrium such that  $g_A = g_B = g^m = G\left(\frac{y^m}{\bar{y}}\right)$ .

- Positive implications (comparative statics):

larger government, in cross-sectional data, if more inequality, as measured by  $\frac{y^m}{\bar{y}}$

growth of government, in time-series data, if relative income of pivotal voter falls

⇒ Number of testable predictions

- Normative implications

Majority wants higher spending than utilitarian planner:

$$g^* = G(1) < G\left(\frac{y^m}{\bar{y}}\right) = g^m.$$

# Application: Ideology

## Single Issue - Two Candidates Election

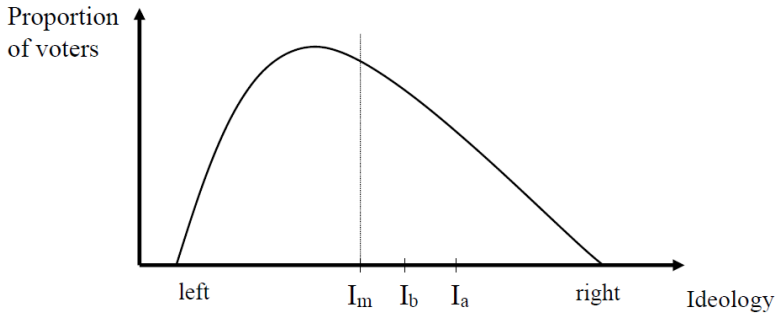
- Election: majority voting for political candidates (or parties)

Two opportunistic candidates who chose political platform (or ideology)

Voters have single-peaked preferences and only care about the ideology/political platform: Voting decision depends only on the single issue at stake

⇒ Given the voter's preferences, candidates position themselves on this issue so that they can win the election.

Political outcome: both candidates select as their platform the ideology of the median voter.



- Result: Party A and B converge towards  $I_m$  - the ideology of the median voter
- Implication: “Policy moderation” - both parties move towards moderate positions (ideology) and away from extreme
- Evidence: In two candidates (parties) systems, do we observe some support for moderate and similar positions?



# Empirical Evidence

- There have been many attempts to test the Median Voter Theorem.
- One of the most convincing is the effort by Gerber and Lewis (“Beyond the Median: Voter Preferences, District Heterogeneity, and Political Representation” 2004 *JPE*).
- They use voting data from Los Angeles County to estimate the distribution of voter ideologies district by district.
- In particular, they have votes on both ballot propositions and candidate elections which allows them to do a convincing job of estimating voter ideologies.

- They find little support for the idea that the ideology of winning candidates should match the ideology of the median voter in their constituency.
- In particular, the ideology of winning candidates can diverge significantly from the median voter's ideology in heterogeneous districts (i.e., districts with a lot of variance in citizen ideologies).
- Winning Republicans are to the right of the median voter in their district, while winning Democrats are to the left.
- This is consistent with casual empiricism and the findings of most who have looked carefully at the issue.

- The one exception is a recent paper by Ferreira and Gyourko (“Do Political Parties Matter? Evidence from U.S. Cities” 2010 *QJE*).
- They compare policies in cities with Republican and Democrat mayors.
- They use a regression discontinuity design which compares policies in cities which elected a Democrat mayor by a very small margin with those who elected a Republican mayor by a very small margin.
- The idea behind this research design is that these two groups of cities should be basically quite similar, except for the partisan affiliation of the mayor.

- If the Median Voter Theorem is right, both Democrat and Republican mayors should implement basically the same policies.
- This means that there should be no difference between the policies in these two groups of cities, which is what they find.

# Application: Endogenizing the distortions from taxes

- Romer (1975), Roberts (1977), Meltzer and Richard (1981).
- Static economy with a single consumption good and a single input (labor).
- A continuum  $[0, 1]$  of individuals.
- Each of them has one unit of time that they can use for work  $\ell_i$  or leisure  $x_i$  so that  $x_i = 1 - \ell_i$ .
- Individual productivity  $\theta_i \sim_{i.i.d.} F(\cdot)$  is the **unique** source of heterogeneity  $y_i = \theta_i(1 - x_i)$ .
- Redistribution program: lump sum redistribution  $b$  per individual financed by a proportional income tax  $\tau$ .

1. Two office-seeking parties each propose a platform  $(\tau_p, b_p)$  that satisfies budget balance.
2. Elections take place. The winning redistribution program  $(\tau, b)$  is applied.
3. Citizens choose how much to work and consume taking  $(\tau, b)$  as given.

# Individual Preferences

- We assume quasi-linear preferences:

$$u(c, x) = c + v(x)$$

- ▶  $v'(\cdot) > 0$ ,  $v'(0) > 1$  and  $v''(\cdot) < 0$ .
- ▶ Quasi linearity assumption important? Boyer and Bierbrauer (2017).

- The budget constraint of individual  $i$  is

$$c_i \leq \theta_i(1 - \tau)(1 - x_i) + b$$

It is binding.

# Individual Behavior

- Hence the program of the consumer/worker is:

$$V(b, \tau, \theta_i) \equiv \max_{x_i \in [0,1]} b + \theta_i(1 - \tau)(1 - x_i) + v(x_i).$$

- Topki's theorem (could use implicit function theorem)  $\Rightarrow$   
 $x^* \uparrow \tau \downarrow \theta_i$ , independent of  $b$  (quasi-linearity).
  - ▶ More productive individuals work more.
  - ▶ Individuals work less when taxes are higher.
- Envelope theorem  $\Rightarrow$ 
  - ▶  $V_b = 1 > 0$
  - ▶  $V_\tau = -\theta_i(1 - x^*(\tau, \theta_i)) \leq 0$
  - ▶  $V_{\theta_i} = (1 - \tau)(1 - x^*(\tau, \theta_i)) \geq 0$ .



# Voters' Preferences

- Politicians propose budget-balanced platforms:

$$b \leq \tau \int \theta (1 - x^*(\theta, \tau)) dF(\theta)$$

- What are the preferences of the voters over feasible platforms?
- Program of the voter:

$$\max_{(\tau, b)} V(b, \tau, \theta) \text{ s.t. } b \leq \tau \int \theta (1 - x^*(\theta, \tau)) dF(\theta)$$

- If  $(b, \tau)$  and  $(b', \tau)$  are feasible with  $b > b'$ , then  $(b, \tau) \succ^{mv} (b', \tau)$  (because  $V_b = 1 > 0$ ).
- Hence office seeking only propose platforms such that the budget constraint is binding (other policies are dominated).

- Hence the program of the voters over undominated policies is

$$\max_{\tau \in [0,1]} V \left( \underbrace{\tau \int \theta (1 - x^*(\theta, \tau)) dF(\theta)}_b, \tau, \theta_i \right) = W(\tau, \theta_i).$$

- Voters' preferences over feasible tax schedules are single-crossing in  $(b, \tau)$  if  $V(b, \tau, \theta_i)$  satisfies the Spence-Mirrlees condition; namely if voters' marginal rates of substitution between  $b$  and  $\tau$  are globally increasing in  $\theta_i$ :

$$-\frac{V_{\tau}(b, \tau, \theta_i)}{V_b(b, \tau, \theta_i)} \text{ is increasing in } \theta_i.$$

Hence median voter theorem holds

$\Rightarrow$  Both parties propose  $\hat{\tau} = \tau^*(\theta_m)$  where  $\theta_m = F^{-1}(1/2)$ , and  
 $\hat{b} = \hat{\tau} \int \theta (1 - x^*(\theta, \hat{\tau})) dF(\theta)$ .

- The size of redistribution reflects the preferences of the “middle class” (the median voter).
- Note that the median voter is also the voter with median pre-tax income  $y^*(\theta_i) = \theta_i(1 - x^*(\theta_i)) \uparrow \theta_i$ .
- Extending the franchise leads to higher taxes/larger redistribution programs.

Redistribution and median voter: see Acemoglu et al. (2014) *Handbook of Income Distribution*

## Other characteristics

- An influential contribution is by Groseclose (“A Model of Candidate Location When One Candidate Has a Valence Advantage 2001 *AJPS*) who assumes that candidates have different valence characteristics.
- A valence characteristic is an exogenous characteristic like honesty, good looks, or intelligence which all voters value.
- Formally, valence characteristics are introduced by assuming that a voter with ideology  $i$  obtains utility  $u(i_C, i) + v_C$  if candidate  $C$  is elected where  $v_C$  measures candidate  $C$ 's valence.
- It turns out that if one candidate has a valence advantage, this can change the equilibrium quite significantly.

# A Simple Model of Public Finance: Composition of government

Back to Simple Model. Now Group  $J$  members: no within- or across-group income heterogeneity  $y^J = y, \forall J$

$$w^J = c^J + H(g^J),$$

$g^J$  per-capita spending on group  $J$  no spillovers ( $g^J$ )  $\equiv \mathbf{g}$   
multi-dimensional and targeted policy (a vector).

- Interpretation:  $J$  defined by preferences, occupation, location,...

Benchmark: Consider utilitarian optimum SWF

- maximize  $SWF = \sum_J \alpha^J w^J$  subject to  $\sum_J \alpha^J (g^J + c^J) = y$

$$\text{FOC: } H_{g^J}(\mathbf{g}^*) = 1$$

⇒ could be implemented by decentralized spending and financing  
each  $J$  internalizes full cost for  $g^J$

Centralized government budget

- $\mathbf{g}$  financed by common tax:  $c^J = y - \tau$ ,

$$\sum_J \alpha^J g^J = \tau$$

## Policy preferences

$$w^J = y - \alpha^J g^J - \sum_{I \neq J} \alpha^I g^I + H(g^J) = W(g^J),$$

each  $J$  internalizes only share  $\frac{N^J}{N} = \alpha^J$  of cost for  $g^J$ .

- preferences ill-behaved, do not satisfy monotonicity

⇒ no Condorcet winner exists for  $\mathbf{g}$ .

Example of general class of policy problems: most policies can be thought of as multi-dimensional and targeted initially, such problems were considered very problematic in political economics.



## Non-existence of equilibrium

- discontinuity of  $p_A = P(g_A, g_B)$  is too severe  
for any  $g_B$ ,  $A$  can always find  $g_A$  that raises  $P(g_A, g_B)$ .
- ⇒ without effective monotonicity in one dimension, can't split electorate in half
- ⇒ cycling, Condorcet paradox: this existence problem thought fatal in early social choice

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